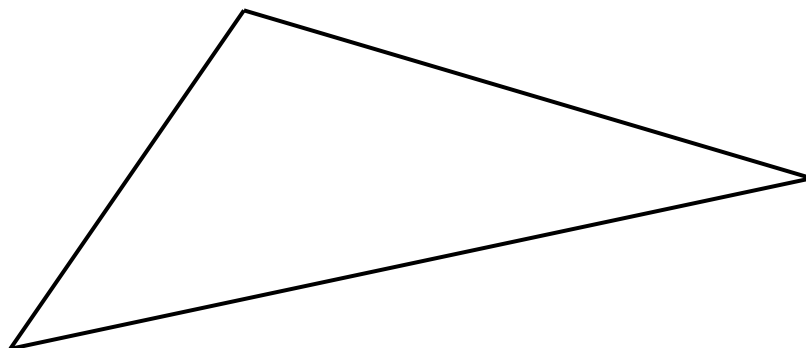


Name: \_\_\_\_\_

Date: \_\_\_\_\_ Period: \_\_\_\_\_

1. Draw the triangle below onto your patty paper.
2. Fold your patty paper so that you are creating the perpendicular bisector of each side of the triangle, one side at a time.

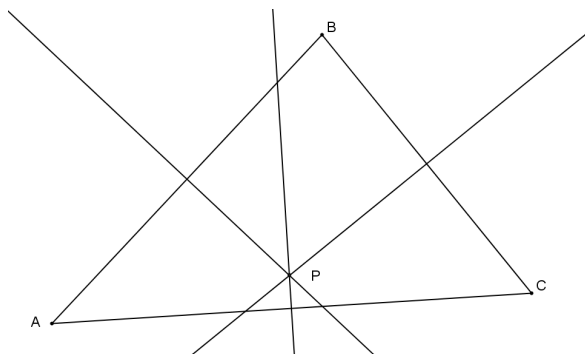


What did you notice?

When three or more lines intersect in a single point, they are \_\_\_\_\_, and the point of intersection is the \_\_\_\_\_.

When all three **perpendicular bisectors** passed through a common point, the point of concurrency of the three perpendicular bisectors is the \_\_\_\_\_.

The circumcenter of  $\triangle ABC$  is shown below as point  $P$ .



We have also worked with angles bisectors.

On your other piece of patty paper:

1. Draw the same triangle as before.
2. Fold the paper patty to create the three **angle bisectors** of a triangle.

What did you notice?

This also results in a point of concurrency, which we call the \_\_\_\_\_.

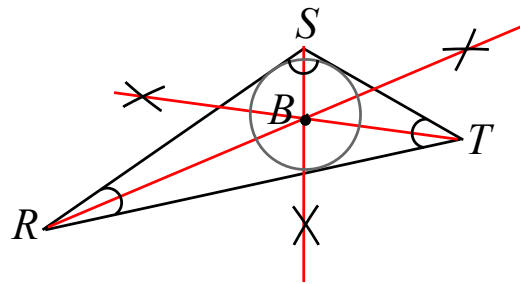
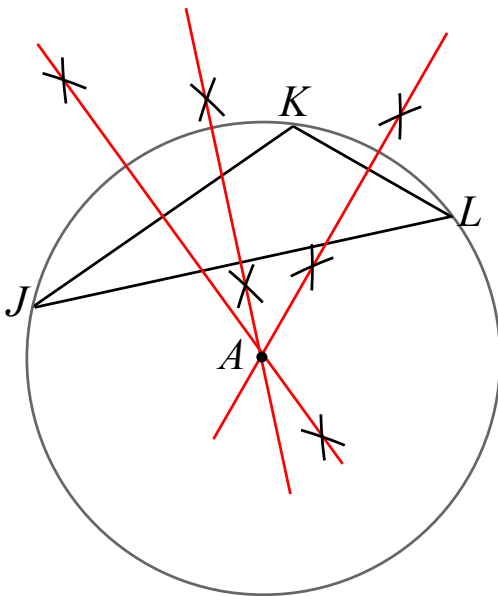
Observe the constructions below:

Point  $A$  is the \_\_\_\_\_ of triangle  $\triangle JKL$  (notice that it can fall outside of the triangle).

Point  $B$  is the \_\_\_\_\_ of triangle  $\triangle RST$ .

The **circumcenter** of a triangle is the center of the circle that **circumscribes that triangle**.

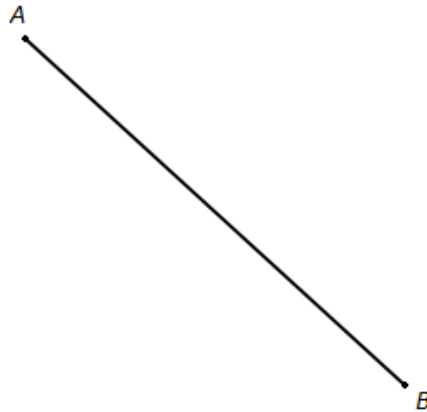
The **incenter** of the triangle is the center of the circle that **is inscribed in that triangle**.



Name: \_\_\_\_\_

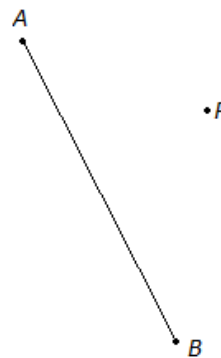
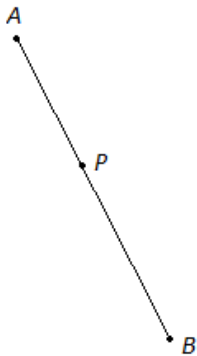
Date: \_\_\_\_\_ Period: \_\_\_\_\_

1. Given line segment  $AB$ , using a compass and straightedge construct the set of points that are equidistant from  $A$  and  $B$ .



What figure did you end up constructing? Explain.

2. For each of the following, construct a line perpendicular to segment  $AB$  that goes through point  $P$ .



3. Using a compass and straightedge, construct the angle bisector of  $\angle ABC$  shown below. What is true about every point that lies on the ray you created?

