



Name _____

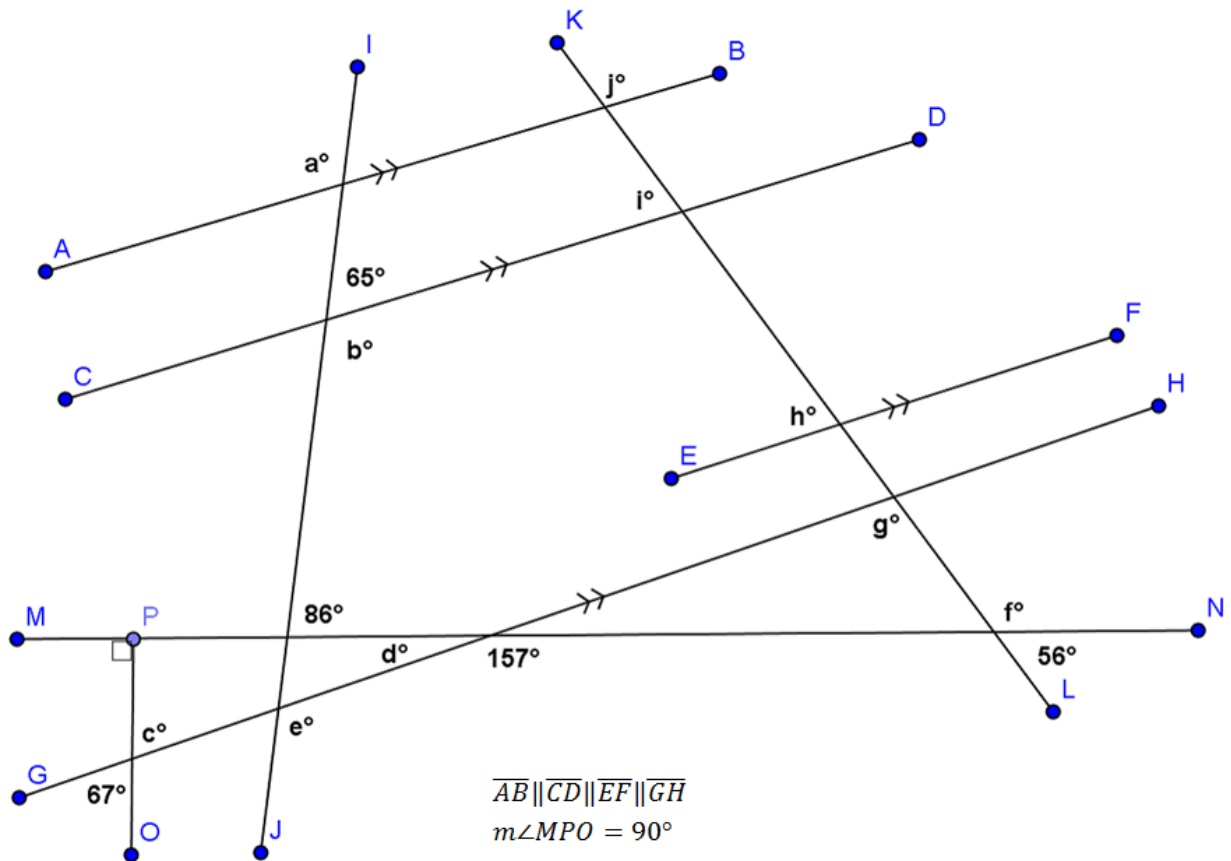
Lesson 14: Transformations/Rigid Motion

LEARNING TARGET

I CAN define basic rigid motions.

Warm Up

Find the measure of each lettered angle in the figure below.



a =

b =

c =

d =

e =

f =

g =

h =

i =

j =

Mini Lesson

Basic Rigid Motion:

Explaining how to transform figures without the benefit of a coordinate plane can be difficult without some important vocabulary.

Let's review:

The word transformation has a specific meaning in geometry. A transformation F of the plane is a function that assigns to each point P of the plane a unique point $F(P)$ in the plane.

Transformations that preserve lengths of segments and measures of angles are called _____. (Distance preserving and angle preserving)

A dilation is an example of a transformation that preserves _____ measures but not the lengths of segments. Currently, we will be working with only rigid transformations.

We call a figure that is about to undergo a transformation the _____ while the figure that has undergone the transformation is called the _____.

Pre-image



image



Is a _____



Is a _____



Is a _____

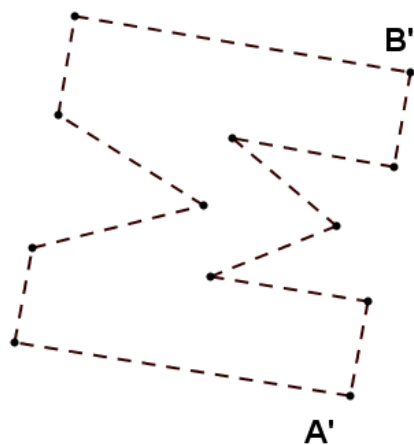
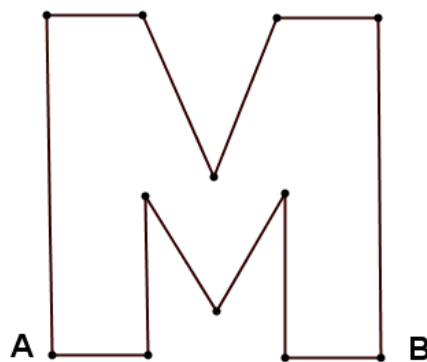
A line of reflection acts as the _____ of each segment that joins a given vertex of the pre-image with the respective image vertex of the image. When we rotate an image we rotate _____. The point of the intersection of two perpendicular bisectors is the _____ of _____.

Let's find the center of rotation:

Ex 1:

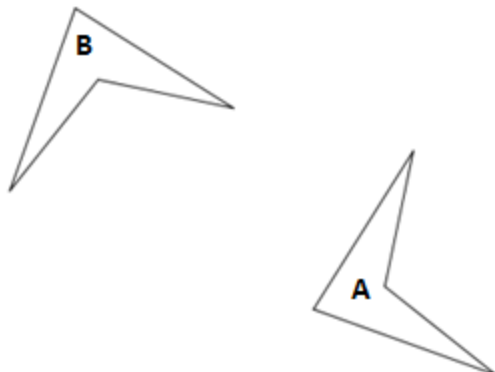
Steps:

- Draw a segment connecting points A and A' .
- Using a compass and straightedge, find the perpendicular bisector of this segment.
- Draw a segment connecting points B and B' .
- Find the perpendicular bisector of this segment.
- The point of intersection of the two perpendicular bisectors is the center of rotation. Label this point P .

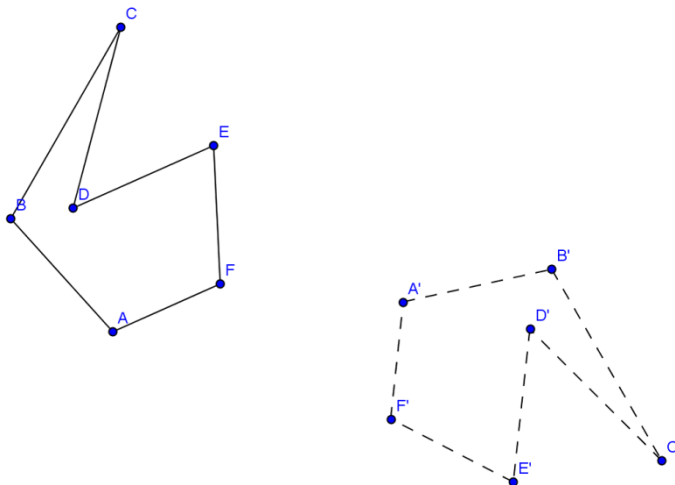


Work Time: Find the center of rotation

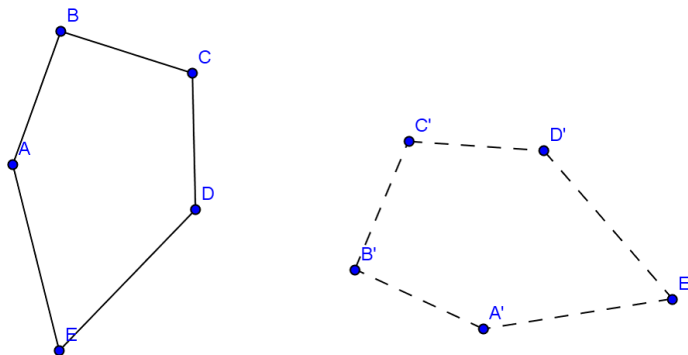
Ex 1:



Ex 2:



Ex 3:



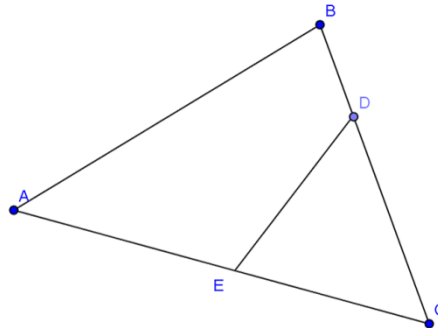
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Classwork/Homework

Lesson 14: Transformations/Rigid Motions

Given: $m\angle CDE = m\angle BAC$

Prove: $m\angle DEC = m\angle ABC$



Statement	Reason

2. Reflect each.

- a. $\triangle ABC$ with vertices $A(-3, 2)$, $B(0, 1)$, and $C(-2, -3)$ in the line $y = x$
- b. trapezoid $DEFG$ with vertices $D(0, -3)$, $E(1, 3)$, $F(3, 3)$, and $G(4, -3)$ in the y -axis

